# Kakuro

Fill the grid so that each block adds up to the total in the box above or to the left of it. You can only use the digits 1-9 and you must not use the same digit twice in a block. (The same digit may occur more than once in a row or column, but it must be in a separate block.)

Let's walk through a puzzle, touching on the general principles.

In the beginning, look out for two things:

a) sums that are made up of Unique Digit Answers (UDAs). See the table on the facing page.

b) sums that are comprised of few cells.

#### Step One

On the right-hand side of the puzzle are two intersecting sums which are made up of two cells. The horizontal sum must add up to **four**. It can't be 2 and 2, because you can't repeat a digit in a sum, so it must be 1 and 3. But what's the order?



10

1

2

<sup>4</sup> 3

1

2 1

The vertical sum must add up to **three**, so is made up of 1 and 2. The only digit in both answers is a 1, so this must go in the intersecting cell – and this determines the positions of the 2 and 3.

14

10

17

# Step Two

There is a 2 on the horizontal line that must add up to **ten**. That line is intersected by a sum that must add up to **three**. We can't have another 2 in the horizontal line.

As the only combination for the **three** sum is 2

and 1, this means the intersecting cell must be a 1. The horizontal line beneath it also adds up to **three** and can be completed, too.

# **Step Three**

On the horizontal line that totals **ten**, we have a 1 and a 2. The remaining two cells add up to seven. There are three possible combinations: 1 and 6, 2 and 5, 3 and 4. We already have a 1 and 2 on the line, so the only available pair is 3 and 4.

$\overline{\ }$		11	4		
	5 14			10	
17				2	3
6			4 3	3	1
	10	3	1	4	2
		3	2	1	

The empty cell between the 1 and the 2 intersects with a sum which already contains a 3, so this cell must hold the 4. This means we can complete both the horizontal **ten** sum and the intersecting **ten** sum.

# **Step Four**

On the left-hand side are two more sums that are made up of two cells: the vertical sum is **fourteen** and the intersecting horizontal sum is **six**.

	5 14			10	
17	9			2	3
6	5	1	4 3	3	1
$\geq$	10	3	1	4	2
		3	2	1	

The only combinations for **fourteen** are 9 and 5, and 8 and 6. The only possible

digit that can intersect with the **six** sum is the 5.

Once you've placed the 5, the other digits that make up the sums can be fitted in.

# **Step Five**

The horizontal line at the top of the puzzle has a **five** sum. The only two combinations are 1 and 4, and 2 and 3. As 1 and 3 appear already in the intersecting **eleven** sum, the only possible digits are 2 and 4. If it was a 4, the remaining digit in the **eleven** sum would be a 3,

		11	4		
	5 14	2	3	10	$\geq$
17	9			2	3
6	5	1	4 3	3	1
$\overline{\ }$	10	3	1	4	2
		3	2	1	

but there's a 3 in that sum already, so the horizontal sum must be 2 and 3, in that order.

To finish the puzzle: 1 completes the vertical **four** sum and a 5 completes the vertical **eleven** sum.

# Unique Digit Answers

For certain sums, only one combination of digits is possible. Here's a useful table of Unique Digit Answers. Look out for these in the puzzles that follow. They'll be a great help to you.



Sum	Numbers
<b>3</b> →	1•2
<b>4</b> →	1•3
<b>16</b> →	7•9
17 →	8•9
.,	0
<b>6</b> →	1 • 2 • 3
<b>7</b> →	1 • 2 • 4
<b>23</b> →	6 • 8 • 9
<b>24</b> →	7 • 8 • 9
10 ->	1 • 2 • 2 • 4
II →	
<b>29</b> →	$5 \bullet 7 \bullet 8 \bullet 9$
<b>30</b> →	6 • 7 • 8 • 9
<b>15</b> →	1 • 2 • 3 • 4 • 5
<b>16</b> →	1 • 2 • 3 • 4 • 6
<b>34</b> →	4 • 6 • 7 • 8 • 9
<b>35</b> →	5•6•7•8•9
<b>21</b> →	$1 \cdot 2 \cdot 3 \cdot 4 \cdot 5 \cdot 6$
<b>22</b> →	1 • 2 • 3 • 4 • 5 • 7
<b>38</b> →	3 • 5 • 6 • 7 • 8 • 9
<b>39</b> →	4 • 5 • 6 • 7 • 8 • 9
<b>28</b> →	1 • 2 • 3 • 4 • 5 • 6 • 7
<b>29</b> →	1 • 2 • 3 • 4 • 5 • 6 • 8
<b>41</b> →	2•4•5•6•7•8•9
<b>42</b> →	3•4•5•6•7•8•9
<b>36</b> →	1 • 2 • 3 • 4 • 5 • 6 • 7 • 8
<b>37</b> →	1 • 2 • 3 • 4 • 5 • 6 • 7 • 9
<b>38</b> →	1 • 2 • 3 • 4 • 5 • 6 • 8 • 9
<b>39</b> →	1 • 2 • 3 • 4 • 5 • 7 • 8 • 9
<b>40</b> →	1 • 2 • 3 • 4 • 6 • 7 • 8 • 9
<b>41</b> →	1 • 2 • 3 • 5 • 6 • 7 • 8 • 9
<b>42</b> →	1 • 2 • 4 • 5 • 6 • 7 • 8 • 9
<b>43</b> →	1 • 3 • 4 • 5 • 6 • 7 • 8 • 9
<b>44</b> →	2 • 3 • 4 • 5 • 6 • 7 • 8 • 9
<b>45</b> →	1 • 2 • 3 • 4 • 5 • 6 • 7 • 8 • 9